

Program calculates the Moshinsky brackets $\langle n,l,N,L,\lambda | n_1,l_1,n_2,l_2,\lambda \rangle$.

These are the transformation coefficients (for 3D harmonic oscillator radial wavefunctions) between individual particle coordinates, with quantum numbers (n_1,l_1) and (n_2,l_2) , and their centre of mass and relative coordinates with quantum numbers (N,L) and (n,l) . The total orbital angular momentum of the particles (the vector sum of l_1 and l_2 and of l and L) is λ .

Required program inputs are: $n_1, l_1, n_2, l_2, \lambda$

The definition of the principle quantum numbers n is such that the level sequence is: $1s, 1p, [2s1d], [2p1f], \dots$ so that the numbers of excited oscillator quanta are $2*(N-1)+L$, etc.

The program calculates all non vanishing (and some vanishing) Moshinsky brackets $\langle n,l,N,L,\lambda | n_1,l_1,n_2,l_2,\lambda \rangle$ for the n_1, l_1, n_2, l_2 and λ and all possible n, l, N, L allowed by the oscillator state energies.

It also checks the unitarity condition with respect to sums over all allowed N, L, n and l